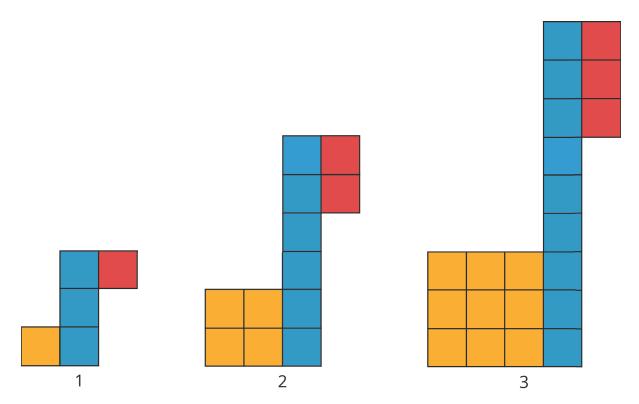
# **Unit 3, Lesson 6: More Linear Relationships**

Let's explore some more relationships between two variables.

## 6.1: Growing

Look for a growing pattern. Describe the pattern you see.



1. If your pattern continues growing in the same way, how many tiles of each color will be in the 4th and 5th diagram? The 10th diagram?

2. How many tiles of each color will be in the nth diagram? Be prepared to explain how your reasoning.



### 6.2: Slopes, Vertical Intercepts, and Graphs

Your teacher will give you 6 cards describing different situations and 6 cards with graphs.

- 1. Match each situation to a graph.
- 2. Pick one proportional relationship and one non-proportional relationship and answer the following questions about them.
  - a. How can you find the slope from the graph? Explain or show your reasoning.

b. Explain what the slope means in the situation.

c. Find the point where the line crosses the vertical axis. What does that point tell you about the situation?

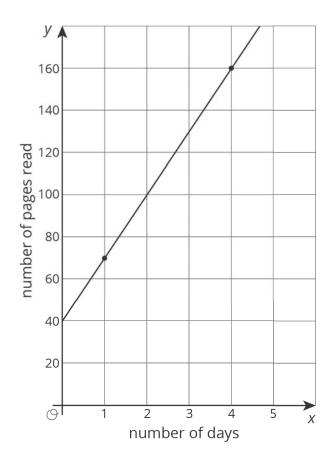


#### 6.3: Summer Reading

Lin has a summer reading assignment.

After reading the first 30 pages of the book, she plans to read 40 pages each day until she finishes. Lin makes the graph shown here to track how many total pages she'll read over the next few days.

After day 1, Lin reaches page 70, which matches the point (1, 70) she made on her graph. After day 4, Lin reaches page 190, which does not match the point (4, 160) she made on her graph. Lin is not sure what went wrong since she knows she followed her reading plan.



- 1. Sketch a line showing Lin's original plan on the axes.
- 2. What does the **vertical intercept** mean in this situation? How do the vertical intercepts of the two lines compare?

3. What does the slope mean in this situation? How do the slopes of the two lines compare?



#### Are you ready for more?

Jada's grandparents started a savings account for her in 2010. The table shows the amount in the account each year.

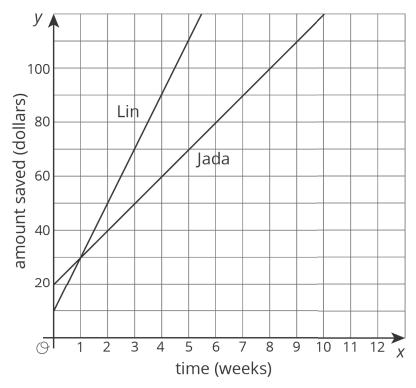
year	amount in dollars
2010	600
2012	750
2014	900
2016	1050

If this relationship is graphed with the year on the horizontal axis and the amount in dollars on the vertical axis, what is the vertical intercept? What does it mean in this context?



#### **Lesson 6 Summary**

At the start of summer break, Jada and Lin decide to save some of the money they earn helping out their neighbors to use during the school year. Jada starts by putting \$20 into a savings jar in her room and plans to save \$10 a week. Lin starts by putting \$10 into a savings jar in her room plans to save \$20 a week. Here are graphs of how much money they will save after 10 weeks if they each follow their plans:



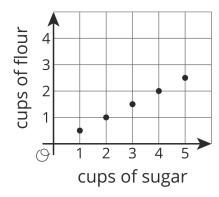
The value where a line intersects the vertical axis is called the **vertical intercept**. When the vertical axis is labeled with a variable like y, this value is also often called the y-intercept. Jada's graph has a vertical intercept of \$20 while Lin's graph has a vertical intercept of \$10. These values reflect the amount of money they each started with. At 1 week they will have saved the same amount, \$30. But after week 1, Lin is saving more money per week (so she has a larger rate of change), so she will end up saving more money over the summer if they each follow their plans.

## **Lesson 6 Glossary Terms**

vertical intercept

## **Unit 3, Lesson 6: More Linear Relationships**

- 1. Explain what the slope and intercept mean in each situation.
  - a. A graph represents the perimeter, y, in units, for an equilateral triangle with side length x units. The slope of the line is 3 and the y-intercept is 0.
  - b. The amount of money, y, in a cash box after x tickets are purchased for carnival games. The slope of the line is  $\frac{1}{4}$  and the y-intercept is 8.
  - c. The number of chapters read, y, after x days. The slope of the line is  $\frac{5}{4}$  and the y-intercept is 2.
  - d. The graph shows the cost in dollars, *y*, of a muffin delivery and the number of muffins, *x*, ordered. The slope of the line is 2 and the *y*-intercept is 3.
- 2. The graph shows the relationship between the number of cups of flour and the number of cups of sugar in Lin's favorite brownie recipe.



The table shows the amounts of flour and sugar needed for Noah's favorite brownie recipe.

amount of sugar (cups)	amount of flour (cups)
$\frac{3}{2}$	1
3	2
$4\frac{1}{2}$	3

- a. Noah and Lin buy a 12-cup bag of sugar and divide it evenly to make their recipes. If they each use all their sugar, how much flour do they each need?
- b. Noah and Lin buy a 10-cup bag of flour and divide it evenly to make their recipes. If they each use all their flour, how much sugar do they each need?

(from Unit 3, Lesson 4)

3. Customers at the gym pay a membership fee to join and then a fee for each class they attend. Here is a graph that represents the situation.

a. What does the slope of the line shown by the points mean in this situation?

b. What does the vertical intercept mean in this situation?

