# **Unit 2, Lesson 1: Projecting and Scaling**

Let's explore scaling.

## 1.1: Number Talk: Remembering Fraction Division

Find each quotient. Write your answer as a fraction or a mixed number.

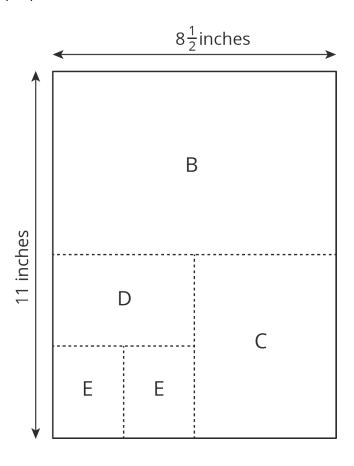
$$6\frac{1}{4} \div 2$$

$$10\frac{1}{7} \div 5$$

$$8\frac{1}{2} \div 11$$

## 1.2: Sorting Rectangles

Rectangles were made by cutting an  $8\frac{1}{2}$ -inch by 11-inch piece of paper in half, in half again, and so on, as illustrated in the diagram. Find the lengths of each rectangle and enter them in the appropriate table.



1. Some of the rectangles are scaled copies of the full sheet of paper (Rectangle A). Enter the measurements of those rectangles in the table.

rectangle	length of short side (inches)	length of long side (inches)
А	$8\frac{1}{2}$	11

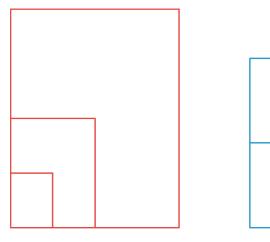
2. Some of the rectangles are *not* scaled copies of the full sheet of paper. Enter the measurements of those rectangles in the table.

rectangle	length of short side (inches)	length of long side (inches)

3. Look at the measurements for the rectangles that are scaled copies of the full sheet of paper. What do you notice about the measurements of these rectangles? Look at the measurements for the rectangles that are *not* scaled copies of the full sheet. What do you notice about these measurements?



4. Stack the rectangles that are scaled copies of the full sheet so that they all line up at a corner, as shown in the diagram. Do the same with the other set of rectangles. On each stack, draw a line from the bottom left corner to the top right corner of the biggest rectangle. What do you notice?



5. Stack *all* of the rectangles from largest to smallest so that they all line up at a corner. Compare the lines that you drew. Can you tell, from the drawn lines, which set each rectangle came from?

#### Are you ready for more?

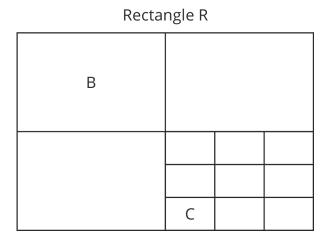
In many countries, the standard paper size is not 8.5 inches by 11 inches (called "letter" size), but instead 210 millimeters by 297 millimeters (called "A4" size). Are these two rectangle sizes scaled copies of one another?



### 1.3: Scaled Rectangles

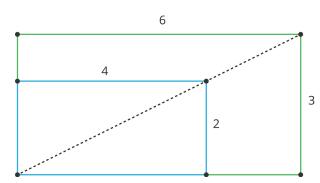
Here is a picture of Rectangle R, which has been evenly divided into smaller rectangles. Two of the smaller rectangles are labeled B and C.

- 1. Is *B* a scaled copy of *R*? If so, what is the scale factor?
- 2. Is *C* a scaled copy of *B*? If so, what is the scale factor?
- 3. Is *C* a scaled copy of *R*? If so, what is the scale factor?



#### **Lesson 1 Summary**

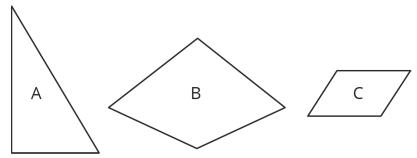
Scaled copies of rectangles have an interesting property. Can you see what it is?



Here, the larger rectangle is a scaled copy of the smaller one (with a scale factor of  $\frac{3}{2}$ ). Notice how the diagonal of the large rectangle contains the diagonal of the smaller rectangle. This is the case for any two scaled copies of a rectangle if we line them up as shown. If two rectangles are *not* scaled copies of one another, then the diagonals do not match up. In this unit, we will investigate how to make scaled copies of a figure.

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- 1. Rectangle *A* measures 12 cm by 3 cm. Rectangle *B* is a scaled copy of Rectangle *A*. Select **all** of the measurement pairs that could be the dimensions of Rectangle *B*.
  - A. 6 cm by 1.5 cm
  - B. 10 cm by 2 cm
  - C. 13 cm by 4 cm
  - D. 18 cm by 4.5 cm
  - E. 80 cm by 20 cm
- 2. Rectangle A has length 12 and width 8. Rectangle B has length 15 and width 10. Rectangle C has length 30 and width 15.
  - a. Is Rectangle *A* a scaled copy of Rectangle *B*? If so, what is the scale factor?
  - b. Is Rectangle *B* a scaled copy of Rectangle *A*? If so, what is the scale factor?
  - c. Explain how you know that Rectangle *C* is *not* a scaled copy of Rectangle *B*.
  - d. Is Rectangle A a scaled copy of Rectangle C? If so, what is the scale factor?
- 3. Here are three polygons.



a. Draw a scaled copy of Polygon A with scale factor  $\frac{1}{2}$ .

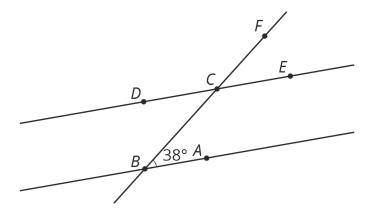
b. Draw a scaled copy of Polygon B with scale factor 2.

c. Draw a scaled copy of Polygon C with scale factor  $\frac{1}{4}$ .

4. Which of these sets of angle measures could be the three angles in a triangle?

(from Unit 1, Lesson 15)

5. In the picture lines AB and CD are parallel. Find the measures of the following angles. Explain your reasoning.



- a. *∠BCD*
- b. ∠*ECF*
- c. *∠DCF*

(from Unit 1, Lesson 14)